# Food, Fuel, and Facts: Distributional Effects of Global Price Shocks

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- How do commodity price shocks affect households in emerging markets?
  - Important question given recent large global commodity price shocks
- · Analyze empirically in Indian context exploiting
  - 1. rich household survey data on income and consumption
  - 2. time-series variation in global commodity prices
- Shed light on distributional effects and transmission mechanisms

### Main takeaway



- · Poorer households more affected by food price shocks
- · Oil price shocks affect households more homogeneously
- Heterogeneous consumption responses mirror heterogeneity in earnings responses 2

- 1. Identification & more on macro effects
- 2. Econometric odds and ends
- 3. Mechanism & story

# Commodity price shocks and their macro impact

- The authors study food and oil price shocks. Use as instruments:
  - 1. Baumeister and Hamilton (2019) oil supply shock
  - 2. Self-constructed food price shock

residualize global food price index from a common demand and food-specific demand factor estimated in a DFM of non-energy commodity prices

- Before studying distributional impacts, I would like to see macro impact
  - Sense-check how well shocks are identified
  - Helps putting distributional effects into perspective. How is overall Indian economy affected?
  - Compare aggregate consumption response and average household consumption response to assess representativeness of survey

### **Empirical specification**

Panel LP-IV:

$$\begin{aligned} c_{i,t+h} - c_{i,t-1} &= \beta_{0,\text{ food}}^{g,h} \operatorname{ext}_{t}^{\text{food}} \times \mathbb{1}_{i \in g(t)} + \beta_{0,\text{ oil}}^{g,h} \operatorname{ext}_{t}^{\text{oil}} \times \mathbb{1}_{i \in g(t)} + \sum_{j=1}^{J} \alpha^{h} \left( c_{i,t-j} - c_{i,t-j-1} \right) \\ &+ \sum_{k=1}^{K} \beta_{k,\text{ food}}^{h} \operatorname{ext}_{t-k}^{\text{food}} + \sum_{k=1}^{K} \beta_{k,\text{ oil}}^{h} \operatorname{ext}_{t-k}^{\text{oil}} + \sum_{d=0}^{D} \delta^{h} D_{t-d} + \gamma^{g,h} X_{t} \times \mathbb{1}_{i \in g(t)} \\ &+ \delta_{c,t} + \delta_{1,t} + \delta_{e,t} + \delta_{\text{city}}, t + \delta_{\text{age}}, t + \mathbb{1}_{i \in S} \times \mathbb{1}_{\text{year}} + \mathbb{1}_{i \in S} \times \mathbb{1}_{\text{month}} + \epsilon_{i,t+h} \end{aligned}$$

- · Baseline specification uses global commodity price shocks as instruments
- But only second stage is reported. How does the **first stage** look? Are the commodity price shocks strong instruments?
  - Important for inference

# **Empirical specification**

#### Panel LP-IV:

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- Baseline specification estimates effects of food and oil price shocks jointly
- Controlling contemporaneously for food prices when looking at oil price shock nets out any potential effects of oil price shocks through higher food prices
  - Less of an issue in IV specification, problematic in OLS
  - My suggestion would be to run two separate LP regressions

# **Empirical specification**

#### Panel LP-IV:

$$\begin{aligned} c_{i,t+h} - c_{i,t-1} &= \beta_{0,\text{ food}}^{g,h} \; \operatorname{ext}_{t}^{\operatorname{food}} \times \mathbb{1}_{i \in g(t)} + \beta_{0,\text{ oil}}^{g,h} \; \operatorname{ext}_{t}^{\operatorname{oil}} \times \mathbb{1}_{i \in g(t)} + \sum_{j=1}^{J} \alpha^{h} \left( c_{i,t-j} - c_{i,t-j-1} \right) \\ &+ \sum_{k=1}^{K} \beta_{k,\text{ food}}^{h} \; \operatorname{ext}_{t-k}^{\operatorname{food}} + \sum_{k=1}^{K} \beta_{k,\text{ oil}}^{h} \; \operatorname{ext}_{t-k}^{\operatorname{oil}} + \sum_{d=0}^{D} \delta^{h} D_{t-d} + \gamma^{g,h} X_{t} \times \mathbb{1}_{i \in g(t)} \\ &+ \delta_{c,t} + \delta_{1,t} + \delta_{e,t} + \delta_{\operatorname{city},t} + \delta_{\operatorname{age},t} + \mathbb{1}_{i \in \operatorname{s}} \times \mathbb{1}_{\operatorname{year}} + \mathbb{1}_{i \in \operatorname{s}} \times \mathbb{1}_{\operatorname{month}} + \epsilon_{i,t+h} \end{aligned}$$

- Baseline specification uses many **fixed effects**, e.g. to account for state-specific trends
- If shocks are truly exogenous, these controls are not necessary. How sensitive are results to inclusion of fixed effects?
  - Important to understand where identifying variation is coming from

- Why are distributional effects of oil and food price shocks so different?
- It would be useful to discuss the food and fuel consumption shares more prominently
  - Food share is over 50% even for the top decile of households. Is that realistic? How is food defined?
- Earnings heterogeneity seems to play an important role. But **what is driving** earnings heterogeneity?
  - Do you have information on occupation? Can you look at households with occupations in agricultural sector?

- What about heterogeneity in financial income?
  - You show some aggregate responses but don't you also have information on this in the survey?
  - Could this help explain the relatively stronger response of richer households to oil price shocks?

- Robustness to commodity price shock instruments:
  - 1. Oil supply shocks: Caldara, Cavallo, and Iacoviello (2019), Känzig (2021)
  - 2. Food price shocks: De Winne and Peersman (2016)
- · Use Brent or more relevant benchmark for Indian oil prices
- Be more transparent about the size of the shock. One sd shock? By how much do prices change?
- Grouping households by permanent income or education estimate permanent income using Mincerian-type regression

- Great paper on a very timely and important topic!
- Impressive data effort
- · Convincing new evidence for emerging markets